## Normal Distribution

## Checklist

Use this space to keep track of your progress with this subtopic. Print and file this document together with those from different sub-topics in a file for quick reference.

| Task | Complete <br> (tick or cross) | Traffic Light <br> (Red, amber <br> or green) |
| :---: | :---: | :---: |
| Watch the video tutorials |  |  |
| Check you know your calculators skills |  |  |
| Review the slides |  |  |
| Review/annotate the flashcards |  |  |
| Complete the quiz |  |  |
| Complete the exam style questions |  |  |
| Check your solutions against the solution videos |  |  |
| Review any remaining areas you need to. |  |  |

## Flashcards



## The Normal Distribution

## Flashcard

## Symmetrical properties of the normal distribution


$68 \%$ of results are within $+/-1$ Standard deviation of the mean
$95 \%$ of results are within $+/-2$ Standard deviation of the mean
$99 \%$ of results are within $+/-3$ Standard deviation of the mean

$2.5 \%$ of results ( $\mathrm{p}=0.025$ ) were BELOW (to the left of) a score of $\mathbf{3 0 . 4}$

| Probability/Area | Meon | Standard |  |
| :---: | :---: | :---: | :---: |
| $4 \mathrm{ram}^{\text {c }}$ | , |  | NOTE - this is slightly more |
| inuNo |  | $5,50$ | 30 you would get using the <br> symmetrical approximations |

## Exam Style Questions

Complete these questions on paper and then check your solutions against the video solutions on the website.

## Question 1

The weights of Grizzly bears are normally distributed with a mean of 357 kg and a standard deviation of 21 kg .
(a) Show this information on the diagram below.


Using the diagram
(b) Write down the probability that a randomly selected bear is greater than 357 kg .
(c) Write down the probability that a randomly selected bear is less than 315 kg .
(d) The probability that a particular bear is less than $x \mathrm{~kg}$ is 0.84 , find the value of $x$.

Working.....
(b) $\qquad$
(c) $\qquad$
(d) $\qquad$

## Question 2

The sizes of adult tuna fish are normally distributed with a mean of 22 kg and a standard deviation of 3 kg .
(a) Calculate the probability that a randomly selected tunafish is less than 17 kg .
(b) (i) Calculate the probability that a randomly selected tunafish is between 20 and 24 kg
(ii) The probability of a tunafish being more than xg is 0.1 , calculate the value of $x$.

Working......
(a) $\qquad$
(b) (i) $\qquad$
(ii)

## Question 3

The weights of newborn babies are normally distributed with a mean of about 3.4 kg and a standard deviation of 0.9 kg . Newborn babies' weights are classified as extremely low, low, normal, and high as shown in the table below.

| Size | Weight (kg) |
| :--- | :---: |
| Extremely Low | Weight $<1$ |
| Low | $1 \leq$ Weight $<2.5$ |
| Normal | $2.5 \leq$ Weight $<4.2$ |
| High | Weight $\geq 4.2$ |

(a) Draw a diagram and shade the region representing the probability that a baby chosen at random, has a low birth weight.
(b) (i) Find the probability that a newly born baby, chosen at random, is born with a high birth weight.
(ii) If there are 5.4 million births in the European union each year, approximately how many are born with a high birth weight?
(iii) Write your answer from part (ii) in the form $a \times 10^{k}$ where $1 \leq a<10$ and $k \in \mathbb{Z}$.
(c) There is a 0.7 probability that a baby is born with a weight greater than $w \mathrm{~kg}$.
(i) Find $w$.

